As per the NEP 2020 Bachelor of Science

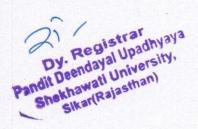
(Effective from Academic Year 2024-2025 onwards)



Faculty of Science

Pandit Deendayal Upadhyaya Shekhawati University Sikar (Rajasthan) 332024

E-mail: reg.shekhauni@gmail.com Website: www.shekhauni.ac.in



As per the NEP 2020

Mathematics

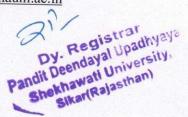
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Bachelor of Science

(CBCS) As per the NEP 2020 (Semester I to IV) w.e.f. the Academic Session 2024-25 Discipline: Mathematics Faculty: Science

Semester - I

Note: Continuous assessment (internal) will be done by the teacher concerned based on test papers, regularity in the class, and performance of the candidate. The maximum marks in continuous assessment of the paper are 100 (Theory 70 Marks + Internal Assessment 30 Marks). Minor paper is offered as an additional subject for bio students.

| Semester | Course title | | | course | listribution | of the | Eligibility criteria |
|----------|---|----------|----------------|---------|--------------|------------------------|-------------------------|
| | | Credits | Course Code | Lecture | Tutorial | Practical/ Practice | |
| I | Calculus And Optimization Techniques | DSC (3) | 24BMT5101 T | 3 | 0 | 0 | |
| I | Practical I Lab Work- Optimization Techniques | DSC (1) | 24BMT5101P | 2 | 0 | 0 | |
| П | Discrete Mathematics & Vector Calculus | DSC (3) | 24BMT5201 T | 3 | 0 | 0 | |
| П | Practical I Lab Work- Discrete Mathematics | DSC(1) | 24BMT5201P | 2 | 0 | 0 | 10+2 from |
| III | Real Analysis And Numerical Analysis - I | DSC(3) | 24BMT6301 T | 3 | 0 | 0 | recognized Board |
| III | Practical I Lab Work- Numerical Analysis - I | DSC(1) | 24BMT6301P | 2 | 0 | 0 | Doard |
| IV | Differential Equations And Numerical Analysis-II | DSC (3) | 24BMT6401 T | 3 | 0 | 0 | |
| IV | Practical I Lab Work- Numerical Analysis-Ii | DSC8 (1) | 24BMT6401P | 2 | 0 | 0 | |

Learning Objectives

 The objective of the course is to study "instantaneous" change in the fundamental idea of Calculus and apply the concept and principle to connect them with real-world problems.

Learning outcomes

By studying this course students will gain basic knowledge on

Understand the concept of curvature and padel equations.

Understand the concept of maxima-minima, double triple integration, and its applications.

 To understand the mathematical formulation of optimization problems and allied theoretical concepts for solution methodologies.

Semester -I Paper – I

| Course Title: | Calculus and Optimization Techniques | Course Code: | PMC5101T |
|-----------------|---|---|----------|
| Total Lecture l | nours 40 | Course Code: | |
| Unit I | Taylor's theorem. Maclaurin's theorem. Power series exp function. Power series expansion of sin x, cos x, e ^x , log _e (l+ x). Derivative of the length of an arc. Pedal equations. Curvate formulae, Centre of curvature, and Chord of curvate differentiation. Euler's theorem for homogeneous functions. Operation of the company of the comp | x), $(1+x)^n$. ure: Various ure. Partial | Hours |
| Unit II | Envelopes: One parameter family of curves when two parameters of connected by a relation. Maxima and Minima of functivariables. Lagrange's method of undetermined multipliers. Definition, Parallel to coordinate axes. General rational algebraic inspection method, Intersection of a curve and its asymptotic points. Curve tracing of standard curves (Cartesian and Polar curves) | Asymptotes: braic curves, | 10 |
| Unit III | Beta and Gamma functions, Reduction formulae (simp formulae), Double integrals in Cartesian and Polar Coordinates order of integration. Triple integrals. Dirichlet's integral. R Area, Volume, and Surface of solids of revolution. | Change | 10 |
| Unit IV | Linear programming problems. Basic solution. Some basic protheorems on convex sets. Simplex algorithm. Duality, Solut problems. | operties and ion of dual | 10 |

| Rei | erence Books: |
|-----|---|
| 1 | J. P. Saini, S. K. Sharma & Rakesh Kumar, Calculus & Optimization Techniques, N.K. Publication Jaipur. |
| 2 | S.K. Sharma, Rakesh Kumar, K. K. Saini & R.S.A. Sharma, Calculus & Optimization Techniques N.K. Publication Jaipur. |
| 3 | Pranjali Sharma, Rakesh Kumar, D. Meena & M. Meena, Calculus, N.K. Publication Jaipur. |
| 4 | H. Anton, I. Bivens and S. Davis, Calculus (7th Edition), John Wiley and Sons (Asia), Pt Ltd., Singapore, 2002. |
| 5 | G.B. Thomas, R. L Finney, M. 13. Weir, Calculus and Analytic Geometry, Pearson Education Ltd, 2003. |
| 6 | G. Hadley, Linear Programming, Narosa Publishing House, New Delhi, 2002. |
| 7 | Hamdy A. Taha, Operations Research, An Introduction (9th edition), Prentice-Hall,2010. |

Paper – II

Duration of Examination: 2 hours

Max Marks:50

| ~ | Dwo stire L (X) XXX | Max Mar | KS:50 | |
|-----------------|---|--|------------|--|
| Course Title: | Practical / Lab Work-Optimization Techniques | Lab Work-Optimization Techniques Course Code: E | | |
| Total Lecture h | ours 26 | Course Code. | DIVISSIUIP | |
| 1 | Part-A | | | |
| | Find the optimum solution of LPP by using the Simplex Find the Optimum Solution of Dual LPP by using the Simplex | method. | 13 | |
| 2 | Part-B | | | |
| | Find the Optimum solution to given Transportation Prob Find the Optimum solution of given Assignment Problem | olems. | 13 | |
| Reference Book | s: | 10. | | |
| G. Hadley, L | inear Programming, Narosa Publishing House, New Delhi, 2002. | | | |
| Hamdy A. | Hamdy A. Taha, Operations Research, An Introduction (9 th edition), Prentice-Hall,2010. | | | |
| | Demicted. | The second secon | APPAINS - | |

Semester - II

Note: Continuous assessment (internal) will be done by the teacher concerned based on test papers, regularity in the class, and performance of the candidate. The maximum marks in continuous assessment of the paper are 100 (Theory 70 Marks + Internal Assessment 30 Marks). Minor paper is offered as an additional subject for bio students.

Learning Objectives

The course aims to introduce concepts and techniques of modern Mathematics which should serve as a preparation for more advanced quantitative courses.

Learning outcomes

Upon completion of the course, students should be able to:

- To understand the ideas in discrete structures viz. partially ordered sets, Lattices, Graphs, etc., and allied conceptual intricacies with applications.
- Understand the concept of vector calculus viz. operators, and vector integration.

Paper - III

| Course Title: | Discrete Mathematics & Vector Calculus | Course Code: | RM\$52017 |
|--|--|--------------|------------|
| Total Lecture ho Unit I | ours 40 | Source Code. | |
| | Relations on a set, Equivalence class, partial order relations, Anti-chains. Lattices, Distributive and Complemented Lattice algebra, conjunctive normal form, disjunctive normal form, principle. Principle of inclusion and exclusion. Proposition Basic logical operations, Truth tables, Tautologies, and contri | Pigeon hole | Hour 10 |
| Unit II Discrete numeric functions, Generating functions, Recurrence relations, linear recurrence relation with constant coefficients and their solutions, Total solutions, and Solutions by the method of generating functions. Basic concepts of graph theory, Types of graphs, Planar graphs, Walks, Paths & Circuits, Shortest path problems. | | | |
| Unit III | Planar graphs, Operations on graphs (union, join, product representation of graphs, Adjacency matrices, Incidence Hamiltonian and Eulerian graphs. Tree, Spanning tree, spanning tree, Distance between vertices, Center of tree, E Rooted tree. | matrices. | 10 |

| | Unit IV | Scalar and Vector point functions. Differentiation of vector point functions Directional derivative. Differential operators. Gradient, Divergence, and Curl. Integration of vector point functions. Line, Surface, and Volume integral, Theorems of Gauss, Green, and Stokes (without proof) and problems based on these theorems. | 10 |
|-----|-------------------------|--|-------------|
| Ref | erence Book | is: | |
| 1 | J. P. Saini, Jaipur. | S. K. Sharma & Rakesh Kumar, Discrete Mathematics & Vector Calculus, N.K. | Publication |
| 2 | V. K. Bala | a Krishnan, Introductory Discrete Mathematics, Prentice-Hall, 1996. | |
| 3 | | raph Theory with Applications to Computer Science, Prentice-Hall of India. | |
| 4 | | Elements of Discrete Mathematics, (Second Edition), McGraw Hill, Internation | al Edition, |
| 5 | Kenneth H | . Rosen, Discrete Mathematics and Its Applications, Tata Mc-Graw Hills, New De | lhi. 2003 |

Paper - IV

| Course Title: | Practical / Lab Work-Discrete Mathematics | Course Code: BMS5201P | | |
|---|--|--------------------------------|--|--|
| Total Lecture h | ours 26 | Starte Cout. BM532011 | | |
| 1 | Note:- The Practical / Lab Work is to be performed by using Part-A | g computer Language C & C+. | | |
| | Find the vertices, even vertices, odd vertices, and number of edges in the graphs & Directed graphs. Find the union, intersection, ring sum, Product, and Cartesian product of two graphs. Find the solution to the Travelling salesman problem. | | | |
| 2 | Note:- The Practical / Lab Work is to be performed by using Part-B | computer Language C & C+. | | |
| | Find the shortest path between two vertices using the Dijk Find the minimum spanning tree using Prim's Algorithm. Find a minimum spanning tree using Kruskal's Algorithm | | | |
| Reference Books 1 N. Deo, Gra 2 C.L. Liu. I | anh Theory with Applications to Control 2 | | | |
| 1986. | Elements of Discrete Mathematics, (Second Edition), McGra | w Hill, International Edition, | | |

Semester - III

Note: Continuous assessment (internal) will be done by the teacher concerned based on test papers, regularity in the class, and performance of the candidate. The maximum marks in continuous assessment of the paper are 100 (Theory 70 Marks + Internal Assessment 30 Marks). Minor paper is offered as an additional subject for bio students.

Learning Objectives

The course aims to

- Study the fundamental concepts of analysis.
- Introduce the concept of the sequence and series of real no. and convergence.

Learning outcomes

Upon completion of the course, students should be able to:

- Understand basic concepts of continuity and important theorems.
- Understand the concepts of real numbers and analyze their properties.
- Study sequence, series, and their applications.
- Apply Riemann integrals in the evaluation of some integrals.
- Understand the concept of uniform convergence and study their application.

Paper - V

| Course Title: | Real Analysis and Numerical Analysis - I | Course Code: | BMS5301T | | |
|---|---|---|----------|--|--|
| Unit I | | | Hours | | |
| Heine-Borel theorem. Holder inequality & Minkowski inequality, Real sequences- Limit and Convergence of a sequence, Monotonic sequences. Cauchyla segments | | 10 | | | |
| Unit II | runctions, Darboux's and Kolle's theorem. Riemann integration. I. | Unit I Real numbers as a complete ordered field, Limit point, Bolzano-Weierstrass theorem, closed and Open sets. Concept of compactness and connectedness. Heine-Borel theorem. Holder inequality & Minkowski inequality, Real sequences-Limit and Convergence of a sequence, Monotonic sequences. Cauchy's sequences, Subsequences, Cauchy's general principle of convergence. Unit II Properties of continuous functions on closed intervals, Properties of derivable functions, Darboux's and Rolle's theorem. Riemann integration - Lower and Upper Riemann integrals, Riemann integrability. Mean value theorem of integrals. | | | |

| | Unit III | Sequence and series of functions - Pointwise and Uniform convergence, Cauchy's criterion, Weierstrass M-test, Abel's test, Dirichlet's test for Uniform convergence of series of functions, Uniform convergence and Continuity of series of functions, Term by term differentiation and integration. Differences. Relation between differences and derivatives. Differences of a polynomial. Newton's formulae for forward and backward interpolation. | 10 |
|---|-------------|--|--------------|
| | Unit IV | Numerical integration, Trapazoidal rule. Simpson's one-third, Simpson's three- eighth, and Gauss's quadrature formulla. Numerical solution of Algebraic and Transcendental equations, Bisection method, Regula-Falsi method, Newton- Raphson Method (derivation of formulae and rate of convergence only). | 10 |
| | erence Bool | ks: | |
| 1 | | ss, Elementary Analysis: The Theory of Calculus, Undergraduate Texts in MSIE), Indian reprint, 2004. | lathematics, |
| 2 | | tle D.R. Sherbert, Introduction to Real Analysis (3rd edition), John Wiley and Singapore, 2002. | Sons (Asia) |
| 3 | Charles C | 3. Denlinger, Elements of Real Analysis, Jones and Bartlett (Student Edition),2011 | |

Paper - VI

| Course Title: | Practical / Lab Work-Numerical Analysis - I | Course Code: BMS530 | |
|-----------------|--|---------------------------------|--|
| Total Lecture l | nours 26 | | |
| | Part-A Find the Numerical integration by Trapezoidal rule. Simpson eighth, and Gauss's quadrature formulae. | n's one-third, Simpson's three- | |
| 2 | Part-B | | |
| | Find the Numerical Solution of Algebraic and Transcendental method, Regula-Falsi method and Newton-Raphson Method. | equations using the Bisection | |
| Reference Boo | | | |
| 1 B. Bradie, A | Friendly Introduction to Numerical Analysis, Pearson Education, Ind | lia, 2007. | |
| 2 C.F. Gerald | P.O. Wheatley, Applied Numerical Analysis, Addison-Wesley, 1998. | 1 | |

Semester - IV Paper - VII

Learning Objectives

The course aims to

- Introduce the exciting world of differential equations.
- Familiarize with the concept of Differential Equations which is essential for higher order Differential Equations and its applications in Mathematics and other subjects.

Learning outcomes

- Understand the concept of differential equation and their types and analyze their applications.
- Understand the concept of exact, simultaneous, and total differential equations and analyze their applications.
- Solve linear differential equations with variable coefficients by various approaches.
 Classify the partial differential equation and evaluate their solution using different approaches.

| Course T | Differential Equations and Numerical Analysis-I | I Course Code: B | MS5401T |
|----------|---|--|---------|
| Unit I | | | Hours |
| | First-order but higher degree differential equations solvable for x, y, a and singular solutions with Extraneous Loci. Linear differential equations, Complimentary functions, and Particular integrals. | and p. Clairaut's form | 10 |
| Unit II | Homogeneous linear differential equations. Simultaneous differential linear differential equations of nth order. Existence and uniquened differential equations of second order. Linear independence of so transformation of the equation by changing the dependent variation variable. | ess theorem. Linear | 10 |
| Unit III | Partial differential equations of the first order. Lagrange's linear equation method of solution. Homogeneous and non-homogeneous linear equations with constant coefficients. | on. Charpit's general partial differential | 10 |

| U | Init IV | Gauss elimination and Iterative methods (Jacobi and Gauss-Seidel) for solving systems of linear algebraic equations. Partial Pivoting method, Numerical solutions of ordinary differential equations of first order with initial condition using Picard's, Euler, and modified Euler's method. | 10 |
|-----|-----------|--|----|
| Ref | ference I | Books: | |
| 1 2 | R.S. Se | enger, Ordinary Differential Equations with Integration, Prayal Publ. 2000. | |
| | D.A. N | Murray, Introductory Course in Differential Equations, Orient Longman (India), 1967. | |
| 3 | B. Brac | die, A Friendly Introduction to Numerical Analysis, Pearson Education, India, 2007. | |
| 4 | C. F. G | Gerald and P. O. Wheatley Applied Numerical Actions and P. O. Wheatley Applied Numerical Actions | |
| 5 | C.F. Ge | Gerald and P. O. Wheatley, Applied Numerical Analysis, Pearson Education, India,7th edition, 2008 erald, P.O. Wheatley, Applied Numerical Analysis, Addison-Wesley, 1998. | 3. |

Paper - VIII

| Course Title: | Practical / Lab Work-Numerical Analysis-II | Course Code: BMS5401F |
|----------------|--|------------------------|
| Total Lecture | 10urs 26 | Course Code: BMS5401P |
| 1 | Part-A | |
| | Find the solution by Gauss elimination and Iterative methods (Jacobi and Gauss-Seidel) to solve the systems of linear algebraic equations. Partial Pivoting method. Part-B | |
| 2 | | |
| | Find the Numerical solutions of ordinary differential equations of first order with initial condition using Picard's, Euler's, modified Euler's, and Runge Kutta methods (up to fourth order). | |
| Reference Book | s: | (up to fourth order). |
| 1 C. F. Gerald | and P. O. Wheatley, Applied Numerical Analysis, Pearson Education, | India 7th edition 2008 |
| 2 C.F. Gerald, | P.O. Wheatley, Applied Numerical Analysis, Addison-Wesley, 1998. | |